



GRADE 12TH MATHS
CHAPTER 12

Linear Programming Problem

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MCQ Questions for Class 12 Maths Chapter 12 Linear Programming with answers

1. Let $Z = ax + by$ is a linear objective function. Variables x and y are called ___ variables.

- (a) Independent
 - (b) Continuous
 - (c) Decision
 - (d) Dependent
- (c) Decision

2. How many of the following points satisfy the inequality $2x - 3y > -5$?

(1, 1), (-1, 1), (1, -1), (-1, -1), (-2, 1), (2, -1), (-1, 2) and (-2, -1)

- (a) 2
 - (b) 4
 - (c) 6
 - (d) 5
- (d) 5

3. A feasible solution of a LPP if it also optimizes the objective function is called

- (a) Optimal feasible solution
 - (b) Optimal solution
 - (c) Feasible solution
 - (d) None of these
- (a) Optimal feasible solution

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4. In a LPP, the objective function is always

- (a) cubic
 - (b) quadratic
 - (c) Linear
 - (d) constant
- (c) Linear

5. The linear inequalities or equations or restrictions on the variables of a linear programming problem are called ____ The conditions $x \geq 0$, $y \geq 0$ are called ____

- (a) Objective functions, optimal value
 - (b) Constraints, non-negative restrictions
 - (c) Objective functions, non-negative restrictions
 - (d) Constraints, negative restrictions
- (b) Constraints, non-negative restrictions

6. A toy company manufactures two types of toys A and B. Demand for toy B is atmost half of that if type A. Write the corresponding constraint if x toys of type A and y toys of type B are manufactured.

- (a) $x/2 \leq y$
 - (b) $2y - x \geq 0$
 - (c) $x - 2y \geq 0$
 - (d) $x < 2y$
- (c) $x - 2y \geq 0$

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7. Objective function of a LPP is

- (a) function to be optimized
 - (b) A constraint
 - (c) Relation between variables
 - (d) Equation in a line
- (a) function to be optimized

8. Minimise $Z = 13x - 15y$ subject to the constraints : $x + y \leq 7$, $2x - 3y + 6 \geq 0$, $x \geq 0$, $y \geq 0$.

- (a) - 23
 - (b) - 32
 - (c) - 30
 - (d) - 34
- (c) - 30

9. Infeasibility means that the number of solutions to the linear programming models that satisfies all constraints is

- (a) At least 1
 - (b) An infinite number
 - (c) Zero
 - (d) At least 2
- (c) Zero

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10. Shape of the feasible region formed by the following constraints is $x + y \leq 2$, $x + y \geq 5$, $x \geq 0$, $y \geq 0$

- (a) No feasible region
 - (b) Triangular region
 - (c) Unbounded solution
 - (d) Trapezium
- (a) No feasible region

11. The set of all feasible solutions of a LPP is a ____ set.

- (a) Concave
 - (b) Convex
 - (c) Feasible
 - (d) None of these
- (b) Convex

12. The optimum value of the objective function is attained at the points

- (a) Corner points of feasible region
 - (b) Any point of the feasible region
 - (c) On x-axis
 - (d) On y-axis
- (a) Corner points of feasible region

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13. Maximise the function $Z = 11x + 7y$, subject to the constraints: $x \leq 3, y \leq 2, x \geq 0, y \geq 0$.

- (a) 49
 - (b) 50
 - (c) 47
 - (d) 48
- (c) 47

14. Let R be the feasible region for a linear programming problem and let $Z = ax + by$ be the objective function. If R is bounded, then the objective function Z has both a maximum and a minimum value on R and

- (a) each of these occurs at a corner point (vertex) of R.
 - (b) each of these occurs at the midpoints of the edges of R
 - (c) each of these occurs at the centre of R.
 - (d) each of these occurs at some points except corner points of R.
- (a) each of these occurs at a corner point (vertex) of R.

15. Minimize $Z = 3x + 5y$ such that $x + 3y \geq 3, x + y \geq 2, x, y \geq 0$.

- (a) Minimum $Z = 7$ at $3/2, 1/2$
 - (b) Minimum $Z = 8$ at $3/2, 1/2$
 - (c) Minimum $Z = 9$ at $3/2, 1/2$ 110 V 60 Hz
 - (d) Minimum $Z = 10$ at $3/2, 1/2$
- (a) Minimum $Z = 7$ at $3/2, 1/2$

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16. A maximum or a minimum may not exist for a linear programming problem if

- (a) The feasible region is bounded
 - (b) if the constraints are non linear
 - (c) if the objective function is continuous
 - (d) The feasible region is unbounded
- (d) The feasible region is unbounded

17. Let R be the feasible region for a linear programming problem, and let $Z = ax + by$ be the objective function. If R is bounded, then

- (a) the objective function Z has only a maximum value on R
 - (b) the objective function Z has only a minimum value on R
 - (c) the objective function Z has both a maximum and a minimum value on R
 - (d) the objective function Z has no minimum value on R
- (c) the objective function Z has both a maximum and a minimum value on R

18. In linear programming feasible region (or solution region) for the problem is

- (a) The common region determined by all the constraints including the non – negative constraints $x \geq 0, y \geq 0$
 - (b) The common region determined by all the $x \geq 0$ and the objective function
 - (c) The common region determined by all the objective functions including the non – negative constraints $x \geq 0, y \geq 0$
 - (d) The common region determined by all the $x \geq 0, y \geq 0$ and the objective function
- (a) The common region determined by all the constraints including the non – negative constraints $x \geq 0, y \geq 0$

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19. In linear programming problems the optimum solution

- (a) satisfies a set of piecewise – linear inequalities (called constraints)
- (b) satisfies a set of linear inequalities (called linear constraints)
- (c) satisfies a set of quadratic inequalities (called constraints)
- (d) satisfies a set of cubic inequalities (called constraints)
- (b) satisfies a set of linear inequalities (called linear constraints)

20. Find the maximum value of $z = 3x + 4y$ subject to constraints $x + y \leq 4$, $x \geq 0$ and $y \geq 0$

- (a) 12
- (b) 16
- (c) 7
- (d) 14
- (b) 1

